Alg 2CP Assignment Sheet
Chapter 2: Linear Relations \& Functions
(Note: LHC = Left Hand Column Problems, CC = Center Column Problems)

| Sect. | Date | Warm-up | Classwork | Homework |
| :---: | :---: | :--- | :--- | :--- |
| 2.1 | $9 / 11$ | I Have <br> Who Has | Lesson: Relations and <br> Functions | Pg. 62-63 \#13-22, 23-33 odd, 35-37 |
| 2.2 | $9 / 12$ | Comm w <br> Tiles | Lesson: Linear Equations | Pg. 69-70 \#10-19, 23-33 odd, 34, 35-47 <br> odd, 50-52, 59 |
| 2.3 | $9 / 13$ | Crack the <br> code | Lesson: Slope | Pg. 75 \#13-29 odd, 30, 31, 35-37 |
| 2.4 | $9 / 14$ | HW <br> Turn In | Lesson: Writing Linear <br> Equations | Pg. 83-84 \#13-23, 31-38 omit 35 <br> Graphing Lines W/S (Below) |
| No <br> Sch. | $9 / 17$ | None | No School-Rosh Hashanah | None |
| 2.5 | $9 / 18$ | I Have <br> Who Has | Lesson: Statistics-Using <br> Scatter Plots. Introduce <br> entering data \& scatter plots <br> in graphing calc | Pg. 88 \#2, 3, 4 graph by hand <br> For \#2 have 1995 be t=0 \& \#3 have <br> 1999 be t=0. |
| 2.5 | $9 / 19$ | Bingo | Lesson: Graphing Calc Lab <br> Lines of Regression <br> Introduce Piecewise Func. | Pg. 93 \#1-6...\#1-3 have 1985 be t=0. <br> After completing \#2 \& 5, write a <br> prediction equation using 2 points. |
| Ext. | $9 / 20$ | Human <br> Calc 0-9 | Lesson: Absolute Value <br> Investigation | Graphing Absolute Value \& Piecewise <br> Functions W/S (Below) |
| Val. | $9 / 21$ | HW <br> Turn In | Lesson: Graphing <br> Inequalities | Pg. 104-105 \#11-21 odd, 22-26, 29, 31, <br> 42,43 |
| 2.7 | $9 / 24$ | Find the <br> X Tile | Review | Finish Review Assignment <br> You Can Sheet |
| Rev | None | Ch. 2 Test <br> Linear Relations\& Functions | No HW |  |
| Test | $9 / 25$ | None |  |  |

### 2.4 Graphing Lines Worksheet

Graph the following.

1. $y=\frac{1}{2} x-3$
2. $y=4 x+3$
3. $y=-\frac{2}{3} x+5$
4. $2 x+3 y=12$
5. $4 x-3 y=9$
6. $x=4$
7. $y=-2$
8. $4 x=-12$
9. $3 y-9=0$
10. $y=x+\frac{3}{2}$

Graphing Absolute Value Functions and Piecewise Functions
Graph the absolute value functions in \# 1 - \#5. Plot the "vertex" point and then graph the rest of the V .

1. $y=|x+3|$
2. $y=|x|+4$
3. $y=|2 x|$
4. $y=2|x-3|-5$
5. $y=|4 x+8|+1$

Graph the piecewise function in \#6 - \#8.
6. $y=\left\{\begin{array}{cc}-x & x \leq 3 \\ 2 & x>3\end{array}\right.$
7. $y=\left\{\begin{array}{cc}-1 & x<-2 \\ 1 & x>2\end{array}\right.$


Name

## Period

$\qquad$

## ABSOLUTE VALUE GRAPH INVESTIGATION

Graph $y=|x|$ by completing the chart below.

| $x$ | $y$ |
| ---: | ---: |
| -3 |  |
| -2 |  |
| -1 |  |
| 0 |  |
| 1 |  |
| 2 |  |
| 3 |  |



What shape is the graph? $\qquad$ All absolute value function graphs are the same shape. The only changes in the graph are the position of the point or vertex of the graph and the slope of the sides of the graph. What is the slope of the left side of the V? $\qquad$ What is the slope of the right side of the V? $\qquad$ What is the relationship between these two slopes? $\qquad$
You are now going to do an investigation on the graphing calculator so see how the absolute value graph changes. From this investigation you will hopefully come up with some generalizations about the graph of absolute value functions. The absolute value function is found using the MATH key followed by arrowing over to NUM and selecting abs\#. \#Use the following window settings: $\quad X \min =-11.75 \quad X \max =11.75 \quad X s c l=1 \quad Y \min =-7.75 \quad Y M a x=7.75 \quad Y s c l=1$

Enter the functions in the $\mathbf{y}=$ menu one at a time. Display $y_{1}$ before you enter $y_{2}$. Display $y_{1}$ and $y_{2}$ before you enter $y_{3}$. Display all three functions after you enter $y_{3}$. Answer the questions as you go along. Be careful with the parentheses.
$y_{1}=a b s(x)$
$y_{2}=a b s(2 x) \quad$ How has the graph changed? $\qquad$
$y_{3}=a b s(x / 3)$ How has the graph changed? $\qquad$

In general, what does the letter a do in the graph $y=|a x|$ ?

Clear out the three functions and enter the following three functions in the same manner as above. Answer the questions that follow.
$y_{1}=a b s(x)$
$y_{2}=a b s(x+2) \quad$ How has the graph changed?
$y_{3}=\operatorname{abs}(x-4) \quad$ How has the graph changed? $\qquad$

In general, what will the letter $\mathbf{b}$ do to the vertex of the Vin the graph of $y=|x-b|$ ? $\qquad$

What will happen to the vertex of the V in the graph of $y=|x+b|$ ?

What are the coordinates of the vertex of the V in the graph of $y=|x-5|$ ?
What about $y=|x+1|$ $\qquad$ \#Graph each one and see if you are right.

Clear out the three functions and enter the following three functions in the same manner as before. Answer the questions that follow.
$y_{1}=a b s(x)$
$y_{2}=a b s(x)+3 \quad$ What happened to the vertex?
$y_{3}=a b s(x)-4 \quad$ What happened to the vertex? $\qquad$

What will happen to the vertex of the V in $y=|x|-c$ ? $\qquad$
What will happen to the vertex of the V in $y=|x|+c$ ? $\qquad$

Clear out the three functions and enter the following three functions. Be careful with the parentheses on the calculator.
$y_{1}=|2 x+6|$
$y_{2}=|2(x+3)|$
$y_{3}=2|x+3|$

What do you notice about the graphs of these three functions?
Why is that? $\qquad$

Clear out the three functions and enter the following function.
$y_{1}=|4 x-8| \quad$ What are the coordinates of the vertex? $\qquad$ Could you have predicted this? $\qquad$ How? $\qquad$

What is the best form of this function for you to use to predict where the vertex will be? $\qquad$
Predict the coordinates of the vertex of $y=|5 x-20|$. $\qquad$ See if you are correct by graphing the function.
Where is the vertex of $y=|8 x+48|$ ? $\qquad$ What about $y=|3 x-15|$ ? $\qquad$ . Verify your answers by graphing the functions on the calculator.

Predict the coordinates of the vertex of $y=|3 x-12|+2$. $\qquad$ What is the slope of the left side of the graph? $\qquad$
What about the right side? $\qquad$
In general to graph an absolute value function, think about where the vertex is, plot it and then graph the left and right side of the V by using the slope. An alternate method is to plot the vertex and then plot a point or points on either side of the vertex by plugging in x -values and solving for the corresponding y -values.

Graph $y=|2 x-6|-1$ on the axis to the right.

Check your graph on the calculator.


One final question. Will the graph of an absolute value function ever open downward? $\qquad$ If your answer is yes, what would the equation of the function look like?

