

CS400 Compiler Construction
Fall 2008, Dr. Sheldon Liang

Homework & Quizzes #02

(25 points)

Due Date: One Week Away from today
(Look at schedule in the syllabus)

Your Name: _____

Your Score: _____

Objectives (*Context-free grammar*):

☞ A Context Free Grammar (CFG) is a set of recursive rewriting rules (or productions) used to generate patterns of strings. To be familiar with parse tree of a CFG helps to understand the principle of how to verify if a variety of expressions or statements if grammatically right or wrong:

- 🍏 the root is labeled by the start symbol
- 🍏 Each leaf is labeled by a terminal
- 🍏 Each interior node is labeled by a nonterminal.

Questions and points

Number of questions: [10]

Positive points per question: [2.5]

Negative points per question: [0.5]

Make sure your name is on this handout before turning it in



Since we stress “learning through lecturing and reading”, some questions designed for homework & quizzes stimulate students to listen, think, and read the text in our lectures. Be careful to find answer from the handouts and text or lab-testing (that is, seeking answer through program). ↩

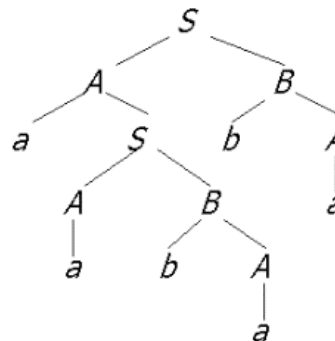
Chapter 2, 4: Analysis and Parsing

Grammatical Derivations and Parse Trees

Leftmost, rightmost derivations and their relationship to parse trees of a CFG.

Postfix form, syntax trees, translation of simple expressions.

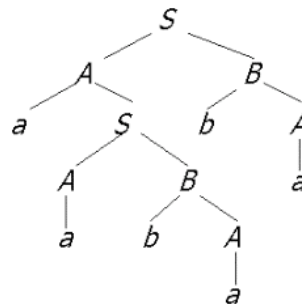
1. The parse tree below represents a rightmost derivation according to the grammar $S \rightarrow AB$, $A \rightarrow aSa$, $B \rightarrow bA$.



Which of the following is a right-sentential form in this derivation?

- ☐ a) aaBba ☐ b) aSB ☐ c) Aba ☐ d) aababA

2. Here is a parse tree that uses some unknown grammar G.



Which of the following productions is surely one of those for grammar G?

- ☐ a) $B \rightarrow b$
☐ b) $S \rightarrow B$
☐ c) $S \rightarrow AbA$
☐ d) $B \rightarrow bA$

3. Here is a grammar for postfix expressions using the common four binary arithmetic operators:

$$S \rightarrow SS+ \mid SS- \mid SS* \mid SS/ \mid a$$

Find a leftmost derivation for the terminal string $aa-aa*/$. Then, identify one of the steps (left-sentential forms) in the derivation from the list below.

- ☐ a) $aS-S/$ ☐ b) $aa-Sa*/$ ☐ c) $aa-SS/$ ☐ d) $Sa/$

4. Here is a grammar for postfix expressions using the common four binary arithmetic operators:

$$S \rightarrow SS+ \mid SS- \mid SS* \mid SS/ \mid a$$

Find a rightmost derivation for the terminal string $aa/a+a-$. Then, identify one of the steps (right-sentential forms) in the derivation from the list below.

- ☐ a) $aa/S+S-$ ☐ b) $aS+a-$ ☐ c) $Sa+a-$ ☐ d) $aS-$

5. The parse tree below represents a leftmost derivation according to the grammar $S \rightarrow AB$, $A \rightarrow aSla$, $B \rightarrow bA$.

Which of the following is a left-sentential form in this derivation?

- ☐ a) $aaBB$ ☐ b) $aaSBB$ ☐ c) $aAbaba$ ☐ d) $aSbA$

6. Translate the infix expression

$$((a+b)-(c*d))+e$$

to prefix form. Then, identify the pair of symbols that appear consecutively in your prefix expression.

- ☐ a) $*-$ ☐ b) $b+$ ☐ c) de ☐ d) $+e$

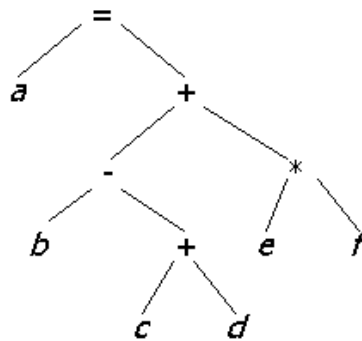
7. Here is a postfix arithmetic expression:

$$ab+c-d+*e+$$

The operator $-$ appearing between c and d can represent either unary or binary minus. Normally, the other operators, $+$ and $*$, are only binary operators. Consider translating the postfix expression into infix, both with $-$ as unary and $-$ as binary. Then, identify the true statement below.

- ☐ a) $-$ can be unary, and $(a+b)$ is a subexpression of the infix expression.
☐ b) $-$ in this postfix expression can be either unary or binary.
☐ c) $-$ can be binary, and $((a+b)-c)$ is a subexpression of the infix expression.
☐ d) $-$ in this postfix expression can be binary but cannot be unary.

8. The following syntax tree:



Represents the assignment

$$a = (b - (c + d)) + e * f;$$

Convert this tree to (op, arg1, arg2, result) quadruples, following these rules:

1. Evaluate the right subtree of a node before the left subtree.
2. Use temporaries t1, t2,..., in that order.

Then, identify from the list below, the one quadruple that would appear in your translation.

- ☐ a) (-, t2, b, t3)
- ☐ b) (+, t2, c, d)
- ☐ c) (+, t2, t1, t3)
- ☐ d) (+, c, d, t2)

9. Suppose we use the following simplified translation scheme for assignment statements, where no error checking is performed.

$E \rightarrow \text{id} = E$	{ gen(id.name() "=" E.place) }
$E \rightarrow E1 + E2$	{ E.place = newTemp(); gen(E.place "=" E1.place "+" E2.place) }
$E \rightarrow E1 * E2$	{ E.place = newTemp(); gen(E.place "=" E1.place "*" E2.place) }
$E \rightarrow - E1$	{ E.place = newTemp(); gen(E.place "=" "-" E1.place) }
$E \rightarrow (E1)$	{ E.place = E1.place }
$E \rightarrow \text{id}$	{ E.place = id.name() }

Here, name() is a method that returns the name of an id token from the symbol table, and newTemp() is a function that returns a new temporary. Assume that newTemp() returns T1, T2,... in order, when in it is called. Function gen(...) emits a line with a three-address statement, using the constituents inside parentheses, in order.

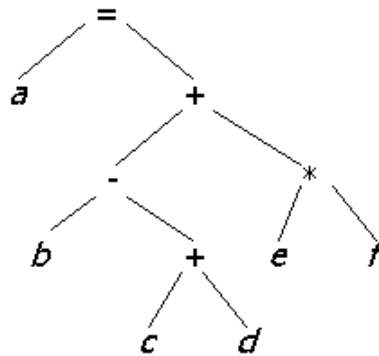
Apply this translation scheme to the assignment:

$$x = a * (-b + c)$$

To be specific, assume that the parse is bottom-up, and a rule is normal precedence for operators, to resolve conflicts. Then, identify the three-address statement that appears in your result.

- ☐ a) $T2 = a * T1$
☐ b) $T3 = T1 + c$
☐ c) $T3 = a * T2$
☐ d) $T3 = T2 + c$

10. The following syntax tree:



Represents the assignment

$$a = (b - (c + d)) + e * f;$$

Convert this tree to (op, arg1, arg2) triples, following these rules:

1. Evaluate the right subtree of a node before the left subtree.
2. Number the instructions (1), (2),...

Then, identify from the list below, the one triple, with its instruction number, that would appear in your translation.

- ☐ a) (1) [+ , c, d]
☐ b) (3) [- , b, (2)]
☐ c) (4) [+ , (2), (3)]
☐ d) (3) [- , b, d]