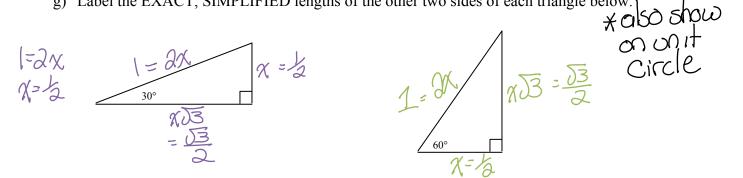


*Objective: To find the coordinates of special angles on the Unit Circle.* 

The UNIT CIRCLE has a radius length of \_\_\_\_\_\_ and its center is located at the OCIAIN

*OA* is the **initial** side of an **angle of rotation**. The **terminal** side passes through one of the other labeled points on the circle. Each rotation will be counterclockwise.

- a) Label A as 0°. Label the measures of points E, I, and M.
- b) Point C bisects  $\overrightarrow{EA}$ . Label the degree measure for point C. Use this information to label the measures of the related three points in quadrants II, III, and IV.
- c) Draw  $\overline{OC}$ . Label its length. HINT:  $\overline{OC}$  is a radius.
- d) Draw a segment from C, perpendicular to the x-axis. Label the point of intersection, R.  $\triangle OCR$  is an isosceles right triangle. Determine the lengths of the other two sides, OR and *RC*.Express your answer in simplest radical form. Rationalize the denominator. Use these numeric values to label the ordered pair coordinates of points G, K, and Q.
- e) Point H represents a counterclockwise rotation of 150°. Label the degree measures of points **B**, **J**, and **P**.
- f) Points H and F trisect  $\widehat{IE}$ . Label the degree measure of F, generated by a counterclockwise rotation from A. Then label the degree measures of **D**, **L**, and **N**.
- g) Label the EXACT, SIMPLIFIED lengths of the other two sides of each triangle below



h) Label the coordinates of points **B**, **D**, **F**, **H**, **J**, **L**, **N**, and **P**.

## Precalculus Honors Unit Circle

Name\_\_\_\_\_ Date

Fill in the chart. Use EXACT numbers. (no decimals)

| Angle in Degrees | Angle in Radians | Coordinates of   |
|------------------|------------------|--|
|                  |                  | Corresponding point  |
| 0°               | 0                | (1,0)  |
| 30°              | 26               | $\begin{pmatrix} 53\\ 3 \end{pmatrix}$   |
| 45°              | Ay               | $\left( \begin{array}{c} 1 \\ 1 \\ 2 \\ 3 \\ 3 \\ 3 \\ 3 \\ 3 \\ 3 \\ 3 \\ 3 \\ 3$                           |
| 60°              | H                | (La Ja)  |
| 90°              | A                | (O, I)   |
| 120°             | 24               | $\left( \begin{array}{c} 1 \\ 2 \\ 3 \\ \end{array} \right)$   |
| 135°             | 34               | $\begin{pmatrix} \cdot & \cdot & \cdot \\ \cdot & \cdot & \cdot \\ \cdot & \cdot & \cdot \\ \cdot & \cdot &$ |
| 150°             | 511              | (-53, 12)  |
| 180°             | T                | (-1,0)   |
| 210°             | TIL              | (-33,-12)  |
| 225°             | 517<br>4         | $\begin{pmatrix} -\sqrt{2} & -\sqrt{2} \\ -\sqrt{2} & -\sqrt{2} \end{pmatrix}$                               |
| 240°             | 413              | $\begin{pmatrix} -12 & -53 \\ -23 & -3 \end{pmatrix}$  |
| 270°             | 317              | (0, -1)  |
| 300°             | 543              | $\begin{pmatrix} 1 \\ 2 \\ - \\ 3 \end{pmatrix}$   |
| 315°             | FL               | $\left(\begin{array}{c} \sqrt{a} & -\sqrt{a} \\ \sqrt{a} & -\sqrt{a} \end{array}\right)$                     |
| 330°             | ЩĘ               | $\begin{pmatrix} 33 & -12 \\ 2 & -2 \end{pmatrix}$   |
| 360°             | an               | (1,0)  |

Precalculus Honors Unit Circle Name\_\_\_\_\_ Date

