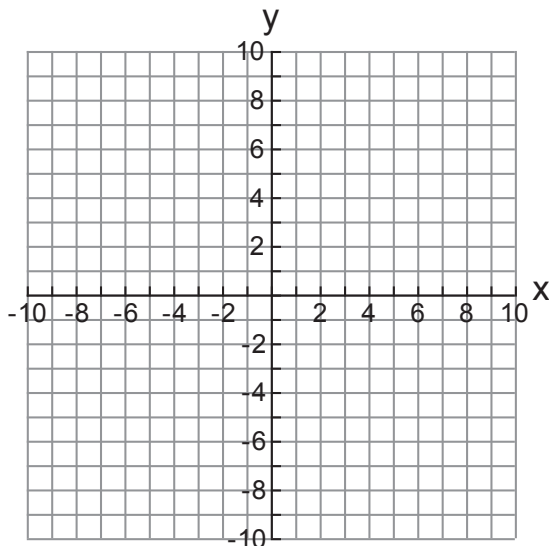


## Investigating Intercepts

1. Can more than one line have the same slope? If more than one line has the same slope, what makes the lines different?
  - a. Graph the following set of equations on the same set of axes. Label each graph.

- i.  $y = x$
- ii.  $y = x - 6$
- iii.  $y = x + \frac{1}{2}$
- iv.  $y = x + 3$
- v.  $y = x - \frac{1}{2}$



- b. What observations can you make about the lines?
- c. What is the slope of all the lines?
- d. How does addition or subtraction of a “ $b$ ” value change the line?
- e. What is the name of “ $b$ ”?
- f. Predict the graph of  $y = x + 7$ . Sketch your prediction on the above graph. Use the graphing calculator to verify your prediction.
- g. Complete the sentence: Lines with the same slope are \_\_\_\_\_.

## Investigating Intercepts

### Finding Intercepts

In a function an intercept is the point at which a line crosses an axis. If it crosses the  $y$ -axis, it is called the \_\_\_\_\_ and the point is  $(0, y)$ . If it crosses the  $x$ -axis, it is called the \_\_\_\_\_ and the point is  $(x, 0)$ .

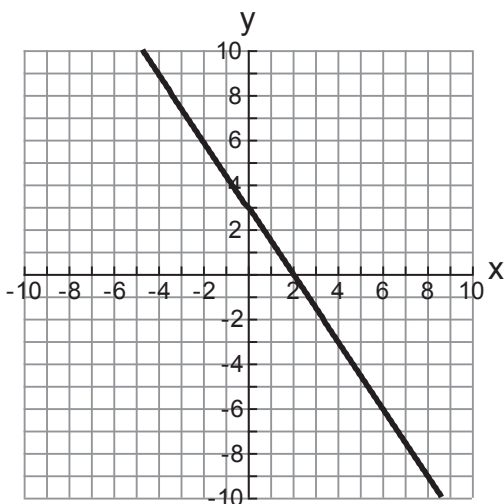
The  $x$ -intercepts are also known as the \_\_\_\_\_, because the  $x$ -intercepts are where the value of the function is zero.

### Finding intercepts from a graph

2. Study the graphs of the lines below.

#### Examples:

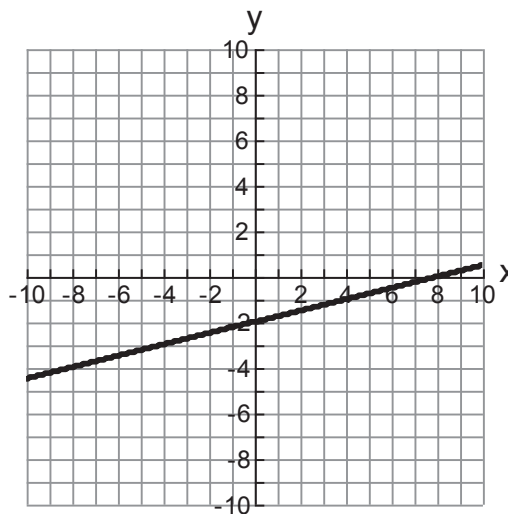
a.



x-intercept: \_\_\_\_\_

y-intercept: \_\_\_\_\_

b.



x-intercept: \_\_\_\_\_

y-intercept: \_\_\_\_\_

## Investigating Intercepts

### Finding intercepts from a table

y-intercept (0, y)	
0	y

x-intercept zero of function (x, 0)	
x	0

Use patterns to complete the tables and find intercepts.

3.

x	y
-1	3
0	2
1	1
2	0
3	-1

- Determine the slope
- Circle the x-intercept (zero of function)
- Write the coordinates of the x-intercept.
- Circle the y-intercept
- Write the coordinates of the y-intercept

4.

x	y
-3	-14
-1	-10
1	-6
3	-2
5	2

- Determine the slope
- Complete the pattern to find where  $y = 0$ .
- Circle the x-intercept (zero of function)
- Write the coordinates of the x-intercept
- Complete the pattern to find where  $x = 0$ .
- Circle the y-intercept
- Write the coordinates of the y-intercept

## Investigating Intercepts

### Finding intercepts from an equation

One form of linear equations is called the \_\_\_\_\_ form. Any linear function can be written in this form in order to determine the slope and  $y$ -intercept.

$$y = mx + b \quad \text{or} \quad f(x) = mx + b$$

$m$  represents \_\_\_\_\_.

$b$  represents \_\_\_\_\_.

Use algebraic manipulation to transform the following equation to the slope-intercept form. Determine the slope and  $y$ -intercept form of the function.

$$6x - 3y = 9$$

- Solve for  $y$ .

5. Find the slope and  $y$ -intercept for each function.

a.  $y = -\frac{5}{4}x + 7$

b.  $f(x) = 12x - 35$

c.  $y = 60 - 6x$

d.  $3x + 2y = 5$

e.  $4y - x = 16$

**Special Cases: Find the slope and  $y$ -intercept.**

6.  $y = -10$

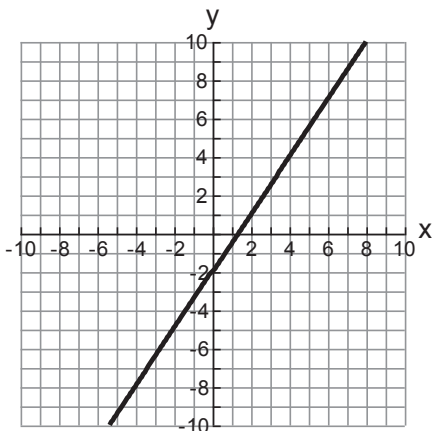
7.  $x = 6$

## Investigating Intercepts

### Practice Problems

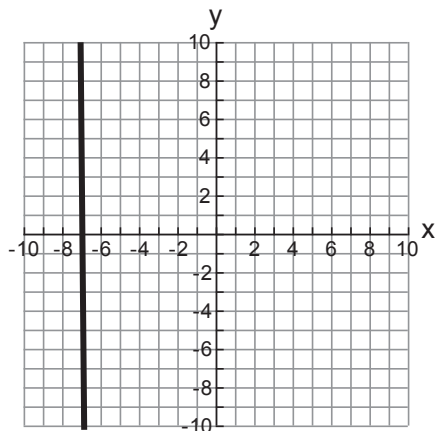
1. Find the slope and the  $x$ -intercept and  $y$ -intercept of the following graphs of lines.

a.



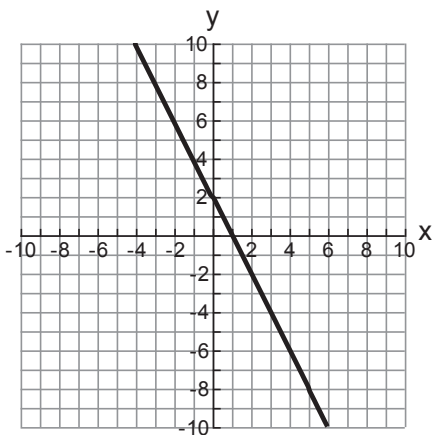
slope \_\_\_\_\_  
 $x$ -intercept (zero of function) \_\_\_\_\_  
 $y$ -intercept \_\_\_\_\_

b.



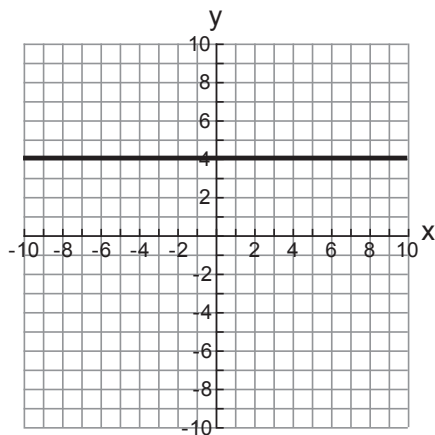
slope \_\_\_\_\_  
 $x$ -intercept (zero of function) \_\_\_\_\_  
 $y$ -intercept \_\_\_\_\_

c.



slope \_\_\_\_\_  
 $x$ -intercept (zero of function) \_\_\_\_\_  
 $y$ -intercept \_\_\_\_\_

d.



slope \_\_\_\_\_  
 $x$ -intercept (zero of function) \_\_\_\_\_  
 $y$ -intercept \_\_\_\_\_

## Investigating Intercepts

Find the slope and intercepts from the data in the tables.

2.

$x$	$y$
-2	6
0	4
2	2
4	0
6	-2

slope \_\_\_\_\_  
 x-intercept (zero of function) \_\_\_\_\_  
 y-intercept \_\_\_\_\_

3.

$x$	$y$
-1	-20
1	-12
3	-4
5	4
7	12

slope \_\_\_\_\_  
 x-intercept (zero of function) \_\_\_\_\_  
 y-intercept \_\_\_\_\_

Find the slope and y-intercept of each equation.

4.  $y = 2.5x$

5.  $y = -\frac{3}{7}x - 42$

6.  $f(x) = \frac{4}{3}x + 2$

7.  $4x + 3y = 12$

8.  $y = -1$

9.  $x = 4$

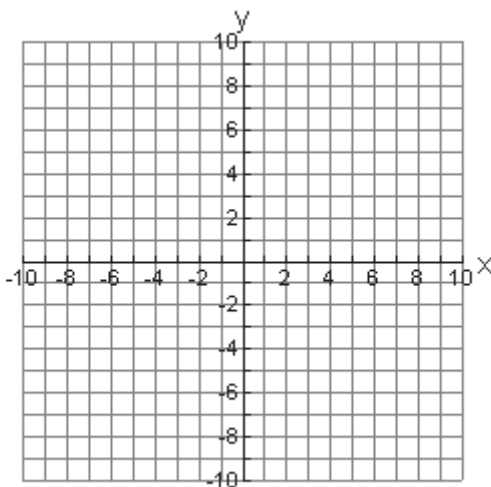
10.  $2x - 5y = 15$

11.  $6y = 2x - 18$

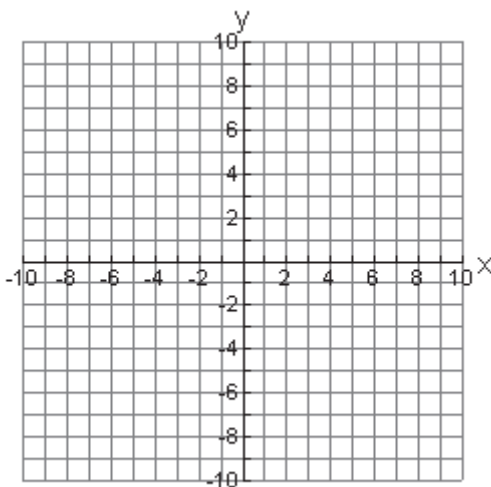
12.  $5y + 2x = -8$

## Investigating Intercepts

13. A line contains the points  $(-6, -5)$  and  $(3, 1)$ .
- Sketch a graph of the line.



- What is the slope of the original line?
  - If the slope is multiplied by 3 and the  $y$ -intercept stays the same, sketch a transformed graph on the same coordinate plane of the resulting line.
  - What is the slope of the transformed line?
14. A line with a slope of one-half, contains the point  $(-4, -5)$ .
- Sketch a graph of the line.



- What is the  $y$ -intercept of the original line?
- If the slope remains the same and the  $y$ -intercept increased by 3 units, sketch a transformed graph on the same coordinate plane of the resulting line.
- What is the  $y$ -intercept of the transformed line?
- How would you describe the relationship between the two lines? Explain.