

### Null Hypothesis

The ***null hypothesis***, aka  $H_0$  or no-difference hypothesis, is a statistical hypothesis that is tested for possible rejection under the assumption that it is true. The null hypothesis states...

- that there is no significant difference between two sets of data
- OR
- that a variable has no significant effect on the outcome.

### Alternative Hypothesis

The hypothesis contrary to the null hypothesis is known as the ***alternative hypothesis***. The alternative hypothesis,  $H_a$ , is a statement of what a statistical hypothesis test is set up to establish. The  $H_a$  is the hypothesis used in statistical testing that is contrary to the null hypothesis.

Example: Does the concentration of  $CO_2$  affect the rate of photosynthesis?

$H_0 \rightarrow$  The concentration of  $CO_2$  has no effect on the rate of photosynthesis.

$H_a \rightarrow$  As the concentration of  $CO_2$  increases, the rate of photosynthesis increases.

Example: Does eating sugar contribute to hyperactivity in children?

$H_0 \rightarrow$  Hyperactivity in children is unrelated to eating sugar.

$H_a \rightarrow$  More sugar consumption leads to increased hyperactivity in children.

The null hypothesis is important because it can be tested and found to be false. In the hyperactivity example if the  $H_0$  is tested and found to be false, then a connection between hyperactivity and sugar ingestion may be indicated.

### Conclusion

The final conclusion once the test has been carried out is always given in terms of the null hypothesis. We either "Reject  $H_0$ " or "Do not reject  $H_0$ "; we *never* conclude "Reject  $H_a$ ", or even "Accept  $H_a$ ".

If we conclude "Do not reject  $H_0$ ", this does not necessarily mean that the null hypothesis is true; it only suggests that there is not sufficient evidence against  $H_0$  in favor of  $H_a$ . On the other hand, rejecting the null hypothesis suggests that the alternative hypothesis *may* be true.