

Type: Single

Date: _____

Objective: Heat, Temperature and Linear Expansion of Solids

Homework: READ 12.1 - 12.4

Do CONCEPT Q. # (5, 7)

Do PROBLEMS (11, 13, 19) **Ch. 12** (12/19)

[How Heat Effects the Expansion and Contraction of matter](#)

[The Kelvin Temperature and Pressure – Absolute Zero](#)

[The Super Fridge](#)

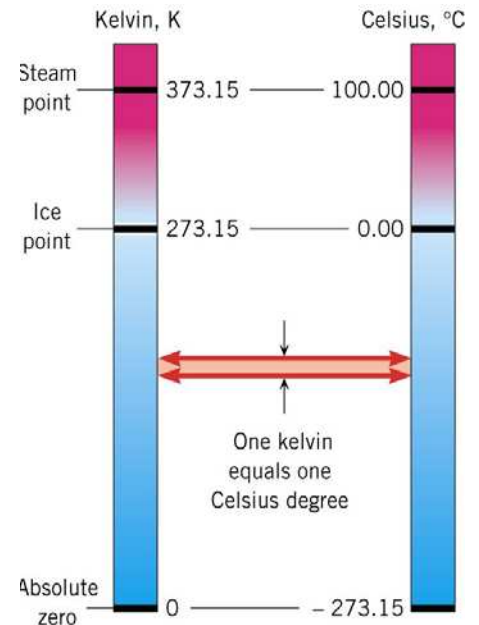
In the United States, *temperatures* are often expressed in *degrees Fahrenheit (°F)*. However, in science and engineering, where **SI units** are commonly used, *temperature* is measured in *degrees Celsius (°C)* as well as *absolute temperature* expressed in *Kelvins (K)*.

Heat is defined as “**thermal energy**” due to the *random motion* of molecules.

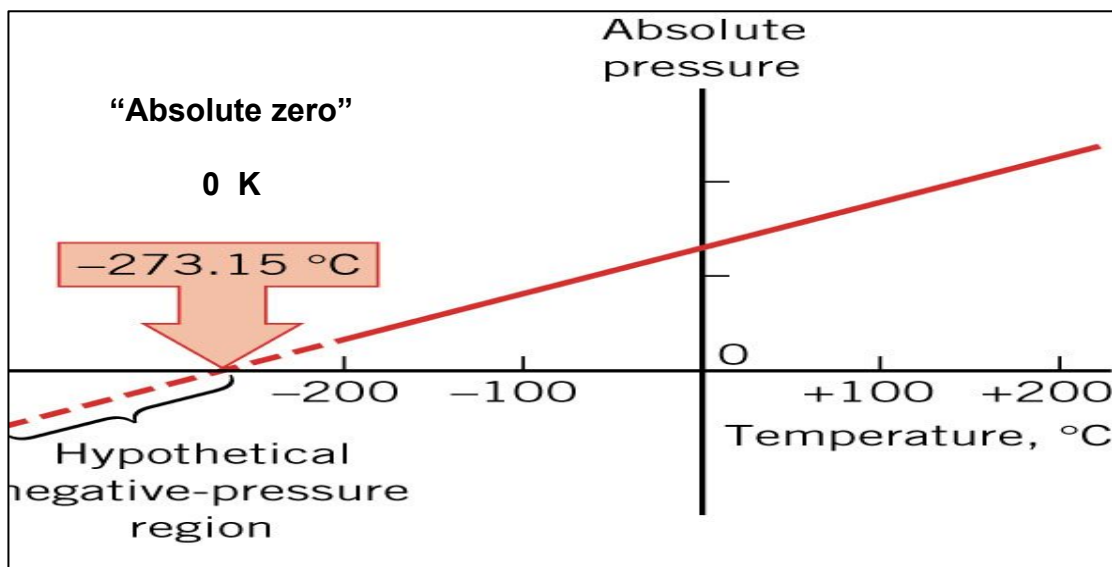
Temperature, on the other hand, is a *measure* of the *concentration* of an object’s “**internal**” *thermal energy*.

We can convert between the systems as follows:

$^{\circ}\text{F} = \frac{9}{5} ^{\circ}\text{C} + 32$	Fahrenheit
$^{\circ}\text{C} = \frac{5}{9} [^{\circ}\text{F} - 32]$	Celsius
$\text{K} = ^{\circ}\text{C} + 273$	Kelvin



Therefore, water *freezes* at 0 °C [273 K] and *boils* at 100 °C [373 K]



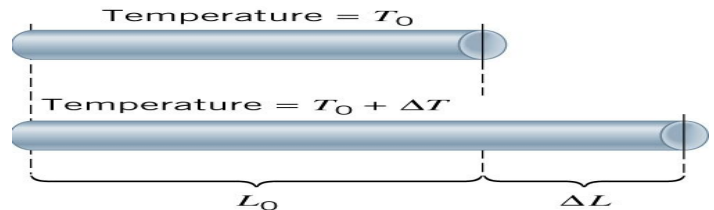
Absolute pressure versus *temperature* for a low-density gas at a constant volume.

When a *substance* undergoes a *temperature change*, it *changes* in *size*. For example, when a *metal lid* on a jar is too *tight* to open...run the lid under *hot water* to *loosen* the lid.

In other words, let the *metal expand away* from the *glass* since both solids *expand* at *different rates*.

- ❑ Steel beams that form railroad tracks or bridges expand when they get warmer.
- ❑ A balloon filled with air shrinks when placed in a freezer.

The *change in size* of a substance due to a temperature change depends on the “amount” of the *temperature change* and the *identity* of the *substance*.



The “*identity*” of a *solid substance* is known as its *coefficient of linear expansion* “alpha” (α).

Linear Thermal Expansion of a Solid

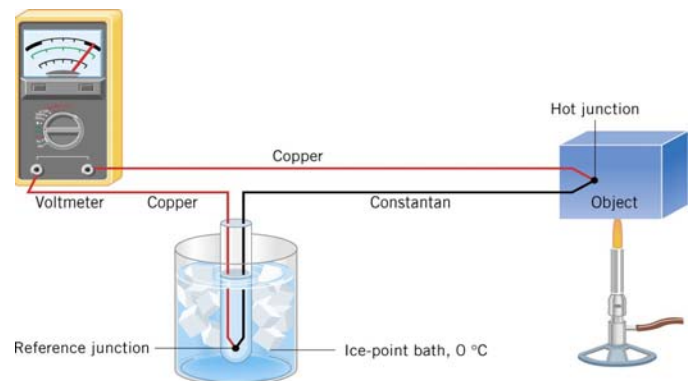
The *length* l_0 of an object changes by an amount ΔL when its *temperature* changes by an amount ΔT .

$$\Delta L = \alpha L_0 \Delta T$$

where α is the *coefficient of linear expansion* having units $1/^\circ\text{C}$ or per degrees Celsius.

All thermometers make use of the change in some physical property with respect to room temperature where $T_{\text{room}} \approx 25^\circ\text{C}$. A property that changes with temperature is called a “thermometric” property.

A “thermocouple” is a thermometer used extensively in scientific laboratories. It consists of thin wires of different metals, welded together at the ends to form two junctions.



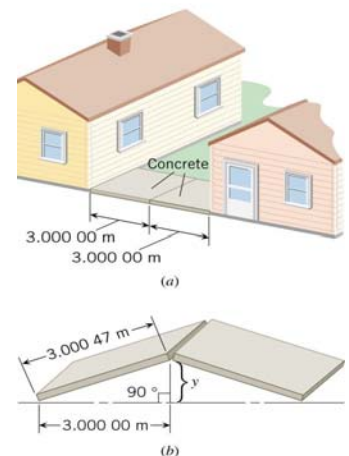
- ❑ One junction is the “hot” junction and the other is the “reference” junction.
- ❑ When the thermocouple is heated, a voltage is generated based on the difference in temperature between the two junctions.
- ❑ With the aid of calibration tables, the temperature of the “hot” junction can be obtained by reading the voltage proportional to temperature.

Ex 1: A steel beam ($\alpha = 12 \times 10^{-6} \text{ C}^{-1}$) used in the construction of a bridge has a length of 30.0 m when the temperature is $15 \text{ }^\circ\text{C}$. On a very hot day, when the temperature is $36 \text{ }^\circ\text{C}$, how long will the beam be? [PrincetonReview9.6]

Ex 2: A cylinder of diameter 1.0 cm at $30 \text{ }^\circ\text{C}$ is to be slid into a hole in a steel plate ($\alpha = 12 \times 10^{-6} \text{ C}^{-1}$). The hole has a diameter of 0.99970 cm at $30 \text{ }^\circ\text{C}$. To what temperature must the plate be heated? [Schaums15.2]

Ex 3: Solid aluminum pipe ($\alpha = 23 \times 10^{-6} \text{ C}^{-1}$) is used in the construction of a section of fence. By what fraction $\Delta L/L_0$ does the length of the pipe increase when the temperature changes from $0 \text{ }^\circ\text{C}$ on a cold winter day to $40 \text{ }^\circ\text{C}$ on a hot summer day? [Cutnell12.13sim]

Ex 4: A concrete sidewalk ($\alpha = 12 \times 10^{-6} \text{ C}^{-1}$) is constructed between two buildings on a day when the temperature is $25 \text{ }^\circ\text{C}$. The sidewalk consists of two slabs, each three meters in length and of negligible thickness. As the temperature rises to $38 \text{ }^\circ\text{C}$, the slabs expand, but no space is provided for thermal expansion. The buildings do not move, so the slabs buckle upward. Determine the vertical distance y in part (b) of the drawing. [Cutnell12.3]



Ex 1: A steel beam ($\alpha = 12 \times 10^{-6} \text{ C}^{-1}$) used in the construction of a bridge has a length of 30.0 m when the temperature is 15 °C. On a very hot day, when the temperature is 36 °C, how long will the beam be? [PrincetonReview9.6]

$$\Delta L = \alpha L_0 \Delta T = (12 \times 10^{-6})(30)(36-15) = 7.6 \times 10^{-3} \text{ m}$$

$$\therefore L' = L_0 + \Delta L = 30 + 0.0076 = 30.0076 \text{ m}$$

Ex 2: A cylinder of diameter 1.0 cm at 30 °C is to be slid into a hole in a steel plate ($\alpha = 12 \times 10^{-6} \text{ C}^{-1}$). The hole has a diameter of 0.99970 cm at 30 °C. To what temperature must the plate be heated? [Schaums15.2]

$$\Delta L = L_1 - L_2$$

$$\Delta L = 1.000 \text{ cm} - 0.99970 \text{ cm}$$

$$\Delta L = 0.00030 \text{ cm}$$

$$\Delta L = \alpha L_0 \Delta T$$

$$\Delta T = \frac{\Delta L}{\alpha L_0} = \frac{0.0003}{(12 \times 10^{-6})(1)}$$

$$\Delta T = 25^\circ \text{C}$$

$$\therefore T_{\text{new}} = 30 + 25 = 55^\circ \text{C}$$

Ex 3: Solid aluminum pipe ($\alpha = 23 \times 10^{-6} \text{ C}^{-1}$) is used in the construction of a section of fence. By what fraction $\Delta L/L_0$ does the length of the pipe increase when the temperature changes from 0 °C on a cold winter day to 40 °C on a hot summer day? [CutnellP12.13sim]

$$\Delta L = \alpha L_0 \Delta T$$

$$\therefore \frac{\Delta L}{L_0} = \alpha \Delta T = (23 \times 10^{-6})(40) = 9.2 \times 10^{-4}$$

Ex 4: A concrete sidewalk ($\alpha = 12 \times 10^{-6} \text{ C}^{-1}$) is constructed between two buildings on a day when the temperature is 25 °C. The sidewalk consists of two slabs, each three meters in length and of negligible thickness. As the temperature rises to 38 °C, the slabs expand, but no space is provided for thermal expansion. The buildings do not move, so the slabs buckle upward. Determine the vertical distance y in part (b) of the drawing. [Cutnell12.3]

$$\Delta L = \alpha L_0 \Delta T = (12 \times 10^{-6})(3)(38-25)$$

$$\Delta L = (12 \times 10^{-6})(3)(38-25) = 0.00047 \text{ m}$$

$$L' = L_0 + \Delta L = 3.00 \text{ m} + 0.00047 \text{ m} = 3.00047 \text{ m}$$

$$y = \sqrt{L'^2 - L_0^2} = \sqrt{(3.00047)^2 - (3.000)^2}$$

$$y = 0.053 \text{ m}$$

