MAC 1105 Sample Test 4

Name _____

2

-1

-4 -3 -2

1) Let f(x) = 5x - 2. Find $f^{-1}(x)$ as a function of x.

$f^{-1}(x) = _$

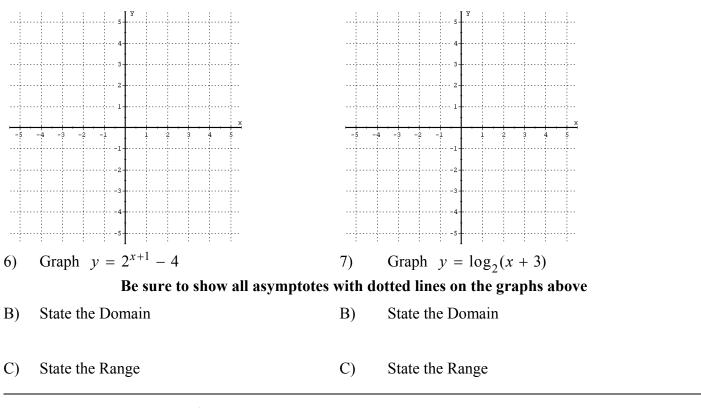
- 2) Let $f(x) = x^3 3$ for $x \ge -1$
- A) Graph y = f(x)
- B) State the Domain of f
- C) State the Range of f
- D) Find $f^{-1}(x)$ as a function of x



- E) Graph y = x and $y = f^{-1}(x)$ on the graph above.
- F) State the Domain of $f^{-1}(x)$
- G) State the Range of $f^{-1}(x)$
- 3) Use your calculator and the Change-of-Base Formula to evaluate the following logarithms: Round your answers to 2 decimal places.
- A) log₃ 52 B) log 731
- 4) Expand the following logarithms to the Sum or Difference of Logarithms. Simplify Completely.

A)
$$\log \frac{xy^2}{zw^3}$$
 B) $\ln \frac{x^3 \sqrt{x-2}}{x+4}$

- 5) Condense the following logarithmic expressions to a single logarithm. Simplify Completely.
- A) $2\log x \log y + 3\log z$ B) $\frac{1}{2}\log x - 5\log y - \frac{1}{3}\log z$



8) Suppose that you invest \$50,000 in an account earning 6.5% annual interest. Find the balance in the account at the end of 8 years if your money is compounded: (Round answers to the nearest penny)

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Use the Formula:
$$A = P\left(1 + \frac{r}{n}\right)^{(n \cdot t)}$$

(Round answers to the nearest penny)

Compounded	Calculator Entry	Amount
Yearly		\$
Monthly		\$
Daily		\$

- 9) The formula $D(t) = D_0 e^{-0.2t}$ can be used to find the number of milligrams (mg) D of a certain drug that is in a patient's bloodstream t hours after the drug has been administered where D_0 is the initial amount of the drug administered. Assume that 250 mg of the drug is administered initially.
- A) How much of the drug is in the patient's bloodstream 5 hours after it was administered? Round your answer to 2 decimal place.
- B) When the amount of the drug in the patient's bloodstream reaches 75 mg, the drug needs to be re-administered? <u>Solve the equation by hand</u>. Round your answer to 1 decimal place.

10) An Australian farmer released 24 rabbits into the wild. The population of rabbits increased at a rate of 19% per month. Approximately 72 months after their release, the rabbit population had increased to 22 million. When were there 1 million (1,000,000) rabbits? Solve by hand or use your calculator. Round your answer to 2 decimal places.

Use the Law of Uninhibited Exponential Growth Model: $P(t) = P_0 e^{kt}$

Solve the Following Equations by Hand. Show your work! Then use your calculator to evaluate your final answer - round your answer to 2 decimal places. You can <u>check</u> your answers using your graphing calculator - by using the CALC/intersect tool.

11)
$$\log_4(3x-2) = 2$$
 12) $3^x = 15$

13)
$$4^{x+5} = 8$$
 14) $\log(5x-2) = 3$

15)
$$\ln(3x) = 2$$
 16) $8 = 2 e^{0.5x}$

17)
$$\log(x) + \log(x - 3) = 1$$
 18) $100 = 500 e^{-0.3x}$